# **Quantifying Scour**

#### **Overview:**

CFD

- Sea state is treated as the superposition of two monochromatic waves
- Can spatially map shear stress around the device, but cannot directly quantify scour
- Different device geometries can be treated
- Can identify shear stress hotspots due to certain elements of geometry

**Empirical Formulations** 

- Sea state is treated as a uniform monochromatic wave
- Cannot spatially map shear stress around the device, but can quantify a general scour depth
- Simple geometries only
  - Global formulations are derived from studies on cylindrical piles
  - Local formulations not yet addressed here

Deployment observations

- Limited to 2-3 qualitative assessments by divers over the 2 week deployment
- Scour noted to beginning shortly after deployment
- Greatest scour in the latter days of deployment (Regime 4)
- Scour was confined to the the device ends and under the caissons at depths of ~ 15 cm
- Accretion was noted in the mid section along the edges ~15cm



# **Plan for Quantifying Scour**

Aim: Build on Ryan's analysis

Correlate CFD with empirical formulations

- Check that methods are consistent in estimating shear stress associated with undisturbed flow
- Global Scour/Shear stresses
  - Empirical formulations for block geometry
  - CFD for block geometry
- Relate CFD shear stress output to scour potential
  - CFD for caisson geometry (accounts for shear stresses that may cause local scour)
  - Local scour formulations using a characteristic element (like horizontal pipe in Ryan's analysis)
- Verify results are consistent with deployment observations
  - determine whether scour was more likely due to local, global, or both scour processes
  - determine appropriate empirical formulations for general application

Apply empirical formulations to 2014 conditions

- Identify some representative nominal and extreme 2014 conditions based on empirical scour results
- Employ CFD to provide corresponding shear stress estimates
- Infer scour potential from shear stress mapping



## **Empirical Formulations**

- Text of reference: *The Mechanics of Scour in the Marine Environment* (Sumer and Fredsoe, 2014)
- Formulations based on undisturbed flow properties (nearby seabed) estimated using:  $H_{rms'} T_{p'} u_{m'} d_{50'} s, v, h, \alpha$
- Valid for live-bed conditions ( $\theta > \theta_{cr}$ ) when undisturbed seabed velocities can cause sediment motion and contribute to the filling of scour holes downstream

Shields parameter under waves:

$$\theta = \frac{u_{fm}^2}{(s-1)gd_{50}} = \frac{\tau_b/\rho}{(s-1)gd_{50}}$$

Friction velocity:

$$u_{fm} = \sqrt{\frac{f_w}{2}} u_m$$

Wave friction factor (p. 201, text):

$$f_w = 0.035 (Re)^{-0.16}$$

Boundary-layer Reynolds number:

$$Re = \frac{a u_m}{v}$$

Amplitude of orbital velocity

$$a = \frac{H_{rms}}{2} \left( \frac{1}{\sinh\left(k_p h\right)} \right)$$



## **Empirical Formulations (Global Scour)**

- Empirical formulations were derived from those for cylindrical piles under waves.
- K factors expand formulation to account for sediment size, device shape, alignment with respect to waves, finite device height, and sea state exposure time.
- This multistep approach is supported in text, p.192
  - 1. Scour under constant current:

$$\frac{S_c}{D} = K_I K_{\delta} K_a K_s K_{\alpha} K_h$$

 $K_I = 2.4$  (initial factor: live-bed scour, uniform sediment size)  $K_{\delta} = 1$  (boundary layer factor, NA – river flow)  $K_d = 1$  (sediment size factor, fig. 3.27 with D/d<sub>50</sub> = 2.5/0.2E-03 = 1.3E04)  $K_s = 1.11$  (shape factor, rectangle with Length/Width = 9/2.5 = 3.6, Table 3.1)  $K_{\alpha}$  = case specific, ~2 - 3.7 for Sept 2014 (alignment factor, fig. 3.29)  $K_h = 0.19$  (finite device height factor, fig. 3.28 with h/D = 1.0/2.5)

2. Scour depth (vertical pile/waves only, Myrhaug/Ong 2013\*, also p. 192 text):

$$\frac{S}{D} = \frac{S_c}{D} \{1 - \exp\left[-0.019(KC - 3)\right]\}; KC \ge 3, 45^o \text{ square cross section}$$

3. \*Time-scale of scour (Petersen, Sumer and Fredsoe, 2012), substituting S from step 2 for  $S_0$  below and t = 0.5 hrs:

$$S_{t} = S_{0} \left( 1 - \exp\left(-\frac{t}{\tau}\right) \right)$$
$$\tau = \frac{D^{2}}{\sqrt{g(s-1)d_{50}^{3}}} 10^{-6} \left(\frac{KC}{\theta}\right)^{3} \left(\frac{1 hr}{3600 s}\right)$$

for KC < O(10) scour is due to leewake vortex shedding with an onset dependent upon KC and device geometry

 $KC = \frac{u_m}{Df_p} = \frac{\sqrt{2\sigma_u}}{Df_p}$ 



# Empirical Estimates for September 2014 APEX deployment site and "block" geometry



Text recommends using u<sub>m</sub>:

$$u_m = \sqrt{2} \sigma_u = \sqrt{2} u_{rms}$$
$$\sigma_u^2 = \int_0^\infty S_u(f) df$$

But since bimodal wave superposition occasionally results in greater seabed velocities, also considered using u<sub>sig</sub>:

$$u_{sig} = 2\sigma_u = 2 u_{rms}$$



# Empirical Estimates for September 2014 APEX deployment site

Assuming "block" geometry



$$u_m = \sqrt{2} \sigma_u = \sqrt{2} u_{rms}$$
$$\sigma_u^2 = \int_0^\infty S_u(f) df$$

![](_page_5_Picture_4.jpeg)

# Possible Alternative u<sub>sig</sub> instead of u<sub>m</sub>

Assuming "block" geometry

![](_page_6_Figure_2.jpeg)

$$u_{sig} = 2\sigma_u = 2 u_{rms}$$

\*bimodal maximum seabed velocity is at times closer to  $u_{sig}$  ( $u_{sig}$  = 0.52 m/s for Regime 4)

![](_page_6_Picture_5.jpeg)

# CFD for September 17 (Regime 4) APEX deployment site and "block" geometry

![](_page_7_Picture_1.jpeg)

![](_page_7_Figure_2.jpeg)

![](_page_7_Picture_3.jpeg)

![](_page_8_Figure_0.jpeg)

![](_page_8_Figure_1.jpeg)

CFD (sampled undisturbed seabed)  $u_m \sim 0.44 \text{ m/s}$  (3cm above floor)  $\tau_w \sim 0.35 \text{ x } 10^{-3} \text{ m}^2/\text{s}^2$  $u_{fm} = \text{sqrt}(\tau_w) = 0.019 \text{ m/s}$ 

![](_page_8_Picture_3.jpeg)

![](_page_9_Figure_0.jpeg)

What would be the more appropriate way to define  $U_m$  for empirical estimates?

- With respect to H<sub>rms</sub> (since recommended by text assuming single-mode spectra)
- With respect to H<sub>sig</sub> (since bimodal spectra result in occasional higher maxima than would be seen for single-mode)

![](_page_9_Picture_4.jpeg)

## **CFD** sampling of undisturbed seabed

![](_page_10_Figure_1.jpeg)

![](_page_10_Figure_2.jpeg)

## Regime 4 Sept 17, 2014

![](_page_10_Picture_4.jpeg)

![](_page_10_Figure_5.jpeg)

![](_page_10_Picture_6.jpeg)

![](_page_11_Figure_0.jpeg)

# Scour was noted by divers for caisson geometry, especially for Regime 4 conditions

 How do we relate empirical scour estimates to shear stress map?

mag(wallShearStress) m2/s2

0.00225

![](_page_12_Picture_2.jpeg)

Notable hotspots from

mag(U)

0.750

0.500

- Plunging over the caissons
- Interior caisson corners (interior vortex?)

![](_page_12_Figure_6.jpeg)

![](_page_12_Picture_7.jpeg)

## Regime 4 Sept 17, 2014

## CFD: Average shear stress of caisson geometry versus block geometry

• Since shear stresses are generally smaller for caisson geometry, could we infer that local scour would be less significant than global scour in this instance?

Regime 4

Sept 17, 2014

• Or perhaps things would look different if we averaged shear stress components instead of overall magnitudes

![](_page_13_Figure_3.jpeg)